

CHALLENGES TO MACHINE LEARNING

Relations between reality and appearance

John McCarthy, Stanford University

- Apology: My knowledge of machine learning is more recent than Tom Mitchell's book. Its chapters describe programs for inductive logic programming, programs aimed at learning from appearances.
- We live in a complicated world that existed for billions of years before there were humans, and our sense organs give us opportunities to observe it directly. Four centuries of philosophy tell us that we and the objects we perceive are built in a complicated way from atoms and, below atoms, quarks.

- Science, since 1700, is far better established than a philosophy. Bad philosophy has stunted AI, just as bad philosophy stunted psychology for many decades.
- Besides the fundamental realities behind appearance and science, there are hidden every day realities—the three dimensional reality behind two dimensional images, hidden objects in boxes, people's names, what people really think.
- Appearance is quite different from reality. Most machine learning research has concerned the classification of appearance. It has not involved inferring relations between reality and appearance. Robots and other AI systems will have to infer these relations.

- Human common sense also reasons in terms of things that give rise to the appearances our senses provide. Young babies have some initial knowledge of the permanent physical objects.
- Perhaps if your philosophy rejects the notion of matter as a fundamental concept, you'll accept a notion of *relations* appropriate for the design and debugging of robots. A robot needs to be designed to determine this relative matter from the appearance given by its inputs.
- We'll discuss:
- Dalton's atomic theory as a discovery of the real matter behind appearance.

- The use of touch in finding the shape of an object. an experiment in drawing an object which one is only touch - not see.
- A simple problem involving changeable two dimensional appearances and a three dimensional reality.
- Some formulas relating appearance and reality in cases.
- What can one know about a three dimensional object to represent this knowledge.
- How scientific study and the use of instruments extend can be learned from the senses. Thus a doctor's training in dissection of cadavers enables him to determine about the liver by palpation.

ELEMENTS, ATOMS, AND MOLECULES

- Some scientific discoveries like Galileo's $s = \frac{1}{2}gt^2$ in covering the relations between known entities. Patrick Bacon program did that.
- John Dalton's postulation of atoms and molecules with fixed numbers of atoms of two or more kinds was more creative and will be harder to make computers do.
- The ancient ideas of Democritus and Lucretius that matter was made up from atoms had no important or even any consequences. Dalton's did.
- Giving each kind of atom its own atomic mass explained the complicated ratios of masses in a compound as required.

small numbers of atoms in a molecule. Thus a sodium chloride (NaCl) molecule would have one atom of each of its elements. Water came out as H_2O .

- The simplest forms of the atomic theory were proposed in the early 19th century. [Early 19th century chemists didn't soon realize that hydrogen and oxygen molecules are H_2 and O_2 and not H and O .] Computers also need to be able to propose theories tentatively and fix their inaccuracies later later.
- Only the relative masses of atoms could be proposed at Dalton's time. The first actual way of estimating these masses was made by Maxwell and Boltzmann about 60 years after Dalton's proposal. They realized that the coefficients of viscosity were proportional to the square root of the absolute temperature.

conductivity, and diffusion of gases as explained by the kinetic theory of gases depended on the actual sizes of molecules.

- The last important scientific holdout against the existence of atoms, the chemist Wilhelm Ostwald, was convinced by Einstein's 1905 explanation of Brownian motion. The physicist Ernst Mach was unconvinced.

- The first actual pictures of atoms in the 1990s were a surprise. An actual picture of a proton showing the quark structure would be even more surprising and seems quite unlikely.

- Philosophical point: Atoms cannot be regarded as the final explanation of the observations that led Dalton to propose the atomic theory.

Maxwell and Boltzmann used the notion to explain different observations, and modern explanations of atoms are all based on the law of combining proportions. In short, atoms were discovered, not invented.

ELEMENTS, ATOMS, MOLECULES—FORMU

- Most likely, it is still too hard to make programs invent elements, atoms, and molecules. Let's therefore write logical sentences that will introduce these concepts into a knowledge base that has no ideas of them.
- We assume that the notions of a body being composed of parts and of mass have already been formalized, but the idea of a body having no parts has not. The ideas of bodies being disjoint is also a concept that should be formalized.
- The following formulas approximate a fragment of formalized chemistry and should be somewhat *elaboration tolerant*. They should admit additional information about the structure of molecules.

The situation argument s is included only to point out that material bodies change in chemical reactions.

$$Body(b, s) \rightarrow (\exists u \subset Molecules(b, s))(\forall y \in u)(Molecule(y, s))$$

$$y1 \in Molecules(b, s) \wedge y2 \in Molecules(b, s) \wedge y1 \neq y2 \rightarrow Disjoint(y1, y2)$$

$$Part(x, b, s) \rightarrow (\exists y \in Molecules(b, s)) \neg Disjoint(y, x),$$

$$Body(b, s) \rightarrow Mass(b, s) = \sum_{x \in Molecules(b, s)} Mass(x, s).$$

$Water(b) \wedge x \in Molecules(b)$

$\rightarrow (\exists h1\ h2\ o)(Atoms(x) = \{h1, h2, o\} \wedge h1 \neq h2$

$\wedge HydrogenAtom(h1) \wedge HydrogenAtom(h2) \wedge OxygenAtom(o))$

$Salt(b) \wedge x \in Molecules(b)$

$\rightarrow (\exists na\ cl)(Atoms(x) = \{na, cl\} \wedge SodiumAtom(na) \wedge ChlorineAtom(cl))$

$Molecule(x) \rightarrow Mass(x) = \sum_{y \in Atoms(x)} Mass(y)$

$HydrogenAtom(y) \rightarrow Mass(y) = 1.0,$

$OxygenAtom(y) \rightarrow Mass(y) = 16.0,$

$SodiumAtom(y) \rightarrow Mass(y) = 23.0,$

$ChlorineAtom(y) \rightarrow Mass(y) = 35.5.$

APPEARANCE AND REALITY

- Getting reality from appearance is an inverse problem. Formulas and programs giving appearance as a function of reality and the circumstances of observation are easier to state than reality, and are likely to be ambiguous.
- Reality is more stable than appearance. Formulas giving the effects of events (including actions) are almost always easier to state in terms of reality.
- The formulas that follow will need a situation or time parameter, once we consider changing appearances.

FORMULAS—STARTING SIMPLE

- We begin with a little bit about touch rather than vision. Imagine putting one's hand into one's pocket in order to feel out one of the objects.

$Touching(Side(1), x) \wedge PocketKnife1(x, Jmc) \rightarrow Feels$

$Texture(Side(PocketKnife1)) = Texture17$

For now we needn't say anything about *Texture17* except that it is distinguishable from other textures. Textures for touch have similarities to and differences from textures for vision. Textures are very scale dependent.

THREE DIMENSIONAL OBJECTS

- How can we best express what a human can know and should know about a three dimensional object? We consider a standard kind of object with particular types of information about individual objects defined by successive approximations.
- I propose starting with a rectangular parallelepiped, which I abbreviate *rppd*. An object is an *rppd* modified by direction information, shape modifications, attached objects, information about its internal structure, location information, formation information, information about surfaces, physical information, mass. Perhaps one should start even more simply with size, a ball too large to be included in the object and to include it.

- My small Swiss army knife is an rppd, 5cm by 2cm rounded in the width dimension at each end. Its large handle has a smooth plastic surface texture, and its other side is metallic with stripes parallel to the long axis, i.e. through the blades. This description should suffice to find it in my pocket and get it out, even though it says nothing about the blades.

- Consider a baby and a doll of the same size. Each is described as an rppd with attached rppds in appropriate locations for the arms, legs, and head. The most obvious and interesting differences come in a texture, motion, and family relationship.

A PUZZLE ABOUT INFERRING REALITY FROM APPEARANCE

- Here's the appearance. The puzzle is: [What is behind the appearance?](#) Clicking on the < and > signs shows one experiment.

- The reality is three dimensional, while the appearance is two dimensional.
- Those who implement display know that computing a perspective projection is difficult. Those who do computer vision know that recovering the 3D scene from the 2D image is even more difficult.

HOW HUMANS SOLVE THE PUZZLE

- The appearance in the puzzle is a genuine appearance of reality behind the appearance is rather abstract. Thus they have no thickness or mass. This doesn't seem to bother us we're used to abstractions.
- We use concepts like like *solid body*, *behind*, *part* etc.
- Some of these concepts may be learned by babies through experience, as Locke proposed. However, there is good evidence that many of them, e.g. *solid body* and *behind* were present in evolution and are built into human and most animals.
- The quickest and most articulate human solution was found by old Michie. Eventually machines will do better.

FORMULAS FOR APPEARANCE AND ACTION

We introduce positions. There is a string of 13 positions. Positions are also represented by strings of squares of length n relative to the body. $Content(sq)$ is either a color or a letter on the version of the puzzle.

$$\begin{aligned} & Body(b) \wedge sq \in b \wedge Location(sq, s) = pos \\ & \wedge (\forall b' \neq b) ((\exists sq' \in b') (Location(sq', s) = pos \\ & \rightarrow Higher(b, b'))) \\ & \rightarrow Appearance(pos, s) = Content(sq). \end{aligned}$$

$$\begin{aligned}
& \text{Body}(b) \wedge sq \in b \wedge \text{Location}(sq, s) = pos \\
& \wedge (\forall b' \neq b) ((\exists sq' \in b') (\text{Location}(sq', s) = pos \\
& \rightarrow \text{Higher}(b, b'))) \\
& \rightarrow (\forall sq' \in b) (\text{Location}(sq', \text{Result}(\text{ClickCW}(pos), s)) \\
& = \text{CWloc}(\text{Location}(sq', s))) \\
& \wedge (\forall b' \notin b) (\text{Location}(sq', \text{Result}(\text{ClickCW}(pos), s)) \\
& = \text{Location}(sq', s)).
\end{aligned}$$

Here's the formula for the effect of counter-clockwise

$$\begin{aligned}
& \text{Body}(b) \wedge sq \in b \wedge \text{Location}(sq, s) = pos \\
& \wedge (\forall b' \neq b) ((\exists sq' \in b') (\text{Location}(sq', s) = pos \\
& \rightarrow \text{Higher}(b, b'))) \\
& \rightarrow (\forall sq' \in b) (\text{Location}(sq', \text{Result}(\text{ClickCCW}(pos), s)) \\
& = \text{CCWloc}(\text{Location}(sq', s))) \\
& \wedge (\forall b' \notin b) (\text{Location}(sq', \text{Result}(\text{ClickCCW}(pos), s)) \\
& = \text{Location}(sq', s)).
\end{aligned}$$

The last parts of the last two formulas tell what does

HOW SHOULD A COMPUTER DISCOVER THE F

- A point of view common (and maybe dominant) in the learning community is that the computer should solve a problem from scratch, e.g. inventing *body* and *behind* as a solution. This view is not dominant in the computer vision community.
- Our opinion, and that of the knowledge representation community, is that it is better to provide computer programs with common sense concepts, suitably formalized. There is no doubt of their success, but the formalisms tend to be limited in the contexts in which they apply. I think, but won't argue here, that the identification of *context* itself is a necessary step.

- Here are two sample formulas relevant to the puzzle but perhaps not general enough to be put in a *knowledge base* of common sense.

$$\text{Color-Appearance}(\text{scene}, x, s) = \text{Color}(\text{Highest}(\text{scene}, x, s))$$

$$\text{Behind}(b2, b1, s) \wedge \text{Opaque}(b1) \rightarrow \neg \text{Visible}(b2, s)$$

- Solving the puzzle involves inferring formulas like

$$\text{Body}(b) \wedge \text{Present}(b, \text{Scene}) \equiv b \in \{B1, B2, B3, B4\},$$

$$\text{Color}(B1) = \text{Blue} \wedge \text{Color}(B2) = \text{Orange} \wedge \text{Color}(B3) = \text{Green}$$

$$\wedge \text{Color}(B4) = \text{Red},$$

$$\text{Length}(B1) = 6 \wedge \text{Length}(B2) = 8, \text{ etc.},$$

$$\text{Higher}(B1, B2) \wedge \text{Higher}(B2, B3) \wedge \text{Higher}(B3, B4),$$

$$\text{Higher}(B4, \text{Background}) \wedge \text{Length}(\text{Background}) = 13.$$

- We haven't put in effects of actions and some relationships between the predicates.

- The lengths and colors of the bodies are assumed independent of the situation. Human language tolerates errors such as actions that affect color better than do presentism.
- The ideas of the last two slides about what knowledge be given to the program have benefitted from discussion with Stephen Muggleton and Ramon Otero.

ENTITIES EXTENDED IN TIME

- The most obvious example is a tune. Maybe jokes, practical jokes, are another example.